

Research Article

The Comparison of Traverses Adjusted by Non-Rigorous and Rigorous Methods of Adjustment

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In geodetic surveying, the adjustment of traverses has long been a topic of discussion and analysis. Scholars have posited that the adjustment of traverses can be approached either non-rigorously through methods such as the Bowditch or Transit techniques, or rigorously through more advanced methods. Empirical evidence has consistently indicated that the rigorous adjustment of surveying data yields results of superior accuracy compared to non-rigorous methodologies.

This research endeavour is dedicated to a comprehensive comparison of traverse adjustments within a specified sector of the Federal University of Technology Owerri. The study focuses specifically on a closed loop traverse comprising twelve station points, characterized by inter-point distances spanning the range of 200 meters to 300 meters. The primary instrument employed for this traverse was the Total Station. The traverse underwent scrutiny to ensure closure, and it was found to be well within acceptable limits. Subsequent computations involved both non-rigorous techniques, specifically the Bowditch and Transit rules implemented within an Excel platform, and rigorous methodologies, specifically the employment of the Adjust software based on the least squares' principle.

The basis for comparison in this study primarily revolves around the computed standard deviation of the adjusted parameters, along with a meticulous assessment of the disparities in the individual coordinates derived from non-rigorous approaches. Significantly, the Transit method emerges as the superior choice, demonstrating a greater degree of accuracy when juxtaposed with the Bowditch method. Consequently, this research underscores the recommendation for the adoption of the Transit method over the Bowditch approach in the context of traverse adjustments.

Introduction

In geodetic surveying, the quest for precision and accuracy is a perpetual pursuit. Since time immemorial, surveyors and geodesists have grappled with the challenge of adjusting traverses to yield the most reliable results. This enduring challenge has led to the development of various techniques, with proponents on both sides of the rigorous versus non-rigorous adjustment debate.

In this era of technological advancement and increasing demands for spatial accuracy, the choice of traverse adjustment methodology has significant implications. The two main contenders in this arena, the Bowditch and Transit methods, have been central to the discourse. While tradition and practicality have often favored these non-rigorous approaches, the relentless march of progress in surveying technology has ushered in more sophisticated techniques, notably the application of least squares adjustments (Rigorous adjustment). Despite the enduring debate surrounding these methodologies, one resounding consensus emerges from empirical evidence: rigorously adjusted traverses consistently deliver superior accuracy. The era of simply settling for acceptable levels of precision is giving way to a new standard, one characterized by the relentless pursuit of excellence.

It is within this context that our research unfolds. In the hallowed precincts of the Federal University of Technology Owerri, we embarked on a rigorous exploration to shed light on the age-old debate. Our endeavor was no less than a meticulous comparison of traverse adjustments, a head-to-head duel between traditional non-rigorous methods and the advanced, precise approach dictated by least squares principles.

A closed loop traverse, comprising a network of twelve station points, formed the focal point of our investigation. These points, strategically positioned with varying inter-distances, beckoned as the proving ground for our surveying instruments, most notably the Total Station.

But our study went beyond mere data collection and measurement. It ventured into the realms of statistical analysis and computational prowess, with Excel-driven Bowditch and Transit methods pitted against the formidable Adjust software, guided by the tenets of least squares adjustment. The goal? To unearth the nuances and subtleties that underpin these adjustment techniques, to unravel the mysteries of precision and accuracy in the world of geodetic surveying.

In the pages that follow, we present a symphony of empirical evidence, statistical precision, and resolute conclusions. Our research is a testament to the relentless pursuit of precision in the age-old art of geodetic surveying—a pursuit that takes us beyond tradition and into the exactitude, promising a future where accuracy knows no bounds.

Materials and Methods

In preparation for our study within the confines of the Federal University of Technology Owerri (FUTO) environment, a reconnaissance survey was conducted. This critical preliminary step involved assessing various factors that would influence the accuracy and success of our project. These factors encompassed visibility between reference points, meteorological conditions, project planning, and the selection of suitable peg materials to prevent deterioration due to exposure to environmental elements over the project's extended duration. It is important to underscore that the reconnaissance phase significantly contributes to enhancing the accuracy, longevity, and stability of the survey monuments.

Our research relied on two sources of data: primary and secondary. The primary data, essential for our study, were directly collected in the field. These included critical parameters such as horizontal angles, distances, coordinates, and directions. In tandem with primary data, we also drew upon secondary data sourced from diverse outlets, including the internet, published articles, textbooks, and unpublished materials.

The instrumental apparatus employed for this project is categorized into two key domains: hardware and software requirements. Our hardware arsenal included a HP Laptop (HP 650 Notebook PC, Intel (R) Pentium 64-bit OS), a printer, a flash drive, a South NTS-362R_6 Total Station complete with its accessories, tracking rods, reflectors (two), a tribrach, cutlasses, field books, and an umbrella. On the software front, we harnessed the power of Microsoft Word, Microsoft Excel, AutoCAD and the Adjust software to facilitate data management, computation, and adjustment processes.

The foundation of our traverse network design was guided by principles outlined by R. E. Moore in his seminal work on control surveys and survey markers in 1978. Key tenets included the requirement for homogeneity, a reasonable number of redundancies, well-shaped individual figures, even station spacing, and direct measurement connections between adjacent pairs of stations. The ratio of the longest to shortest length in the network was diligently maintained below five, ensuring optimal design for accuracy. To achieve the desired precision, accurate a priori estimates of instrument

accuracies were paramount, considering both random and systematic errors likely to occur in field conditions.

For marking and monumentation, we adopted a meticulous approach. Wooden pegs were selected over iron due to their resistance to rust. These pegs were driven approximately 0.5 meters below the surface, with a fraction exposed above ground to prevent disturbance. To mark reference points precisely, nails were affixed to the pegs. A comprehensive list of stations and their respective locations was compiled to guide the marking process.

In the traverse phase, we executed a closed loop traverse, commencing from control points FUT0001 and FUT0003. The Total Station was stationed at FUT0003, while a reflector was positioned vertically at FUT0001. Backsight readings were recorded initially, followed by foresight readings at the first traverse point, with measurements taken on both the left and right faces. This procedure continued until closure was achieved back at the control points. Throughout the traverse, external angles were measured, and distances were tracked using the Total Station.

Computation played a central role in our methodology. Misclosure checks were performed to assess the quality of the data. Linear misclosure was computed as the square root of the sum of departure and latitude misclosures. Angular misclosure was determined by comparing measured angles with the geometrically correct total for the polygon. Allowable Accuracy (AA) was calculated based on the number of instrument stations. Linear Accuracy was computed using differences in Northing and Easting coordinates between property beacons.

To carry out adjustment, we leveraged Microsoft Excel for non-rigorous methods (Bowditch and Transit) and subsequently exported the results to the Adjust software for rigorous adjustment via the least squares approach. This facilitated a comprehensive comparison of the adjustment

Results

Table 1 shows field data: distances and horizontal angles, as well as approximate unadjusted coordinate as Easting and Northing. The approximate unadjusted coordinates were then adjusted using the Bowditch rule and transit rule. The computed adjustments using Bowditch rule and Transit rule are presented respectively in table 2 and table 3. The known azimuth, computed azimuth, angular error of closure and corresponding angular corrections are given below.

| | |
|---------------------------------------|---------------|
| Known azimuth at last station | 174° 29' 34" |
| Computed azimuth | 174° 29' 34" |
| Angular error | 000° 01' 47" |
| Angular correction per station | 000° 00' 7.6" |

| | E(m) | N(m) |
|-----------------|-------------|-------------|
| FUTO 003 | 503599.732 | 153303.132 |
| FUTO 001 | 503611.982 | 153176.079 |

Known Coordinate

| | E(m) | N(m) |
|-----------------|-------------|-------------|
| FUTO 003 | 503599.684 | 153303.132 |

Computed unadjusted Coordinate for known control

| | |
|---------------------------------------|---------------|
| Standard Error (S_x) | 0.0010 |
| Standard Error (S_y) | 0.0010 |
| Linear Error of Closure | 0.0644 m |
| Total Distances | 3336.675 m |
| Relative Error of Closure | 1 / 51776.530 |

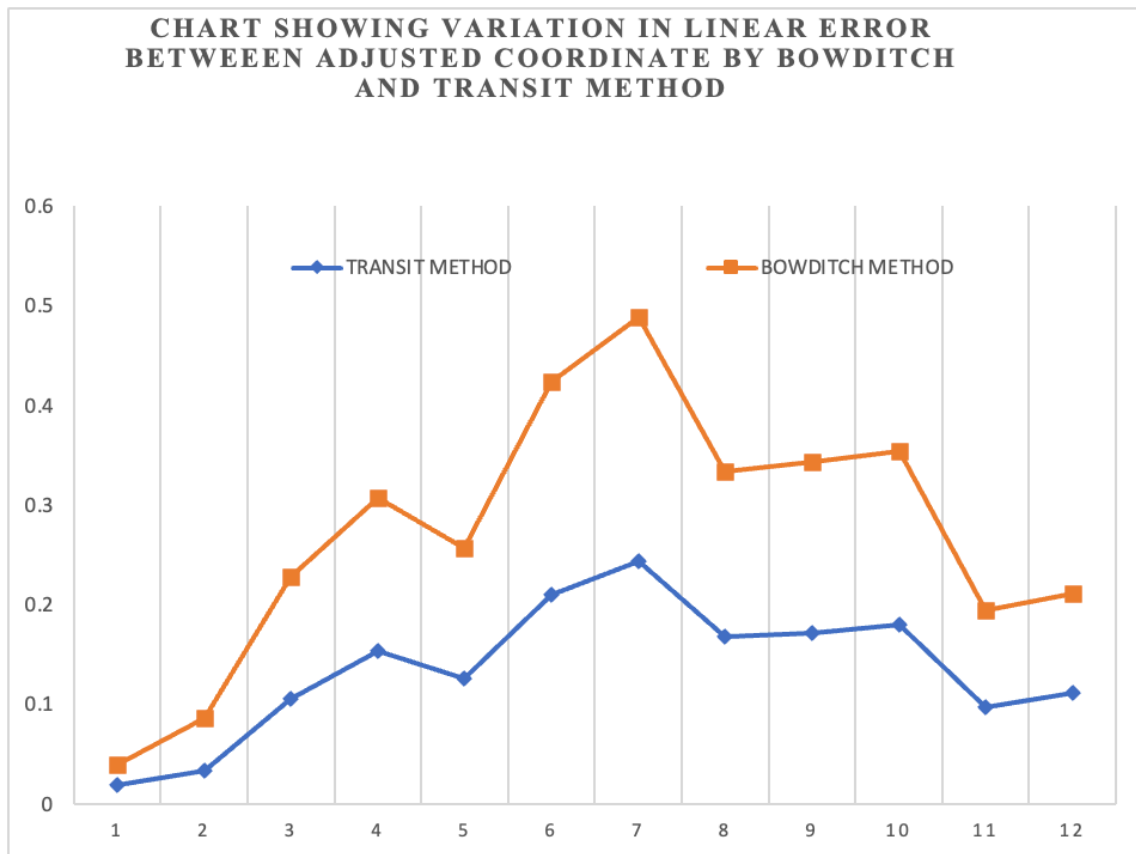


Figure 4.1. Variation in linear error between adjusted coordinates by Bowditch and Transit method.

Tables

| STN FROM | HORIZONTAL ANGLES | DISTANCE | FORWARD AZIMUTH | UNADJUSTED COORDINATE | | STN TO |
|----------|-------------------|----------|-----------------|-----------------------|------------|--------|
| | | | | EASTING | NORTHING | |
| F001 | 068 29 55 | 274.153 | 062 59 28 | 503856.232 | 153300.563 | OOS1 |
| OOS1 | 199 44 47 | 263.88 | 082 44 15 | 504117.992 | 153333.919 | OOS2 |
| OOS2 | 220 28 00 | 348.45 | 123 12 15 | 504409.552 | 153143.099 | OOS3 |
| OOS3 | 263 00 10 | 294.97 | 206 13 25 | 504279.212 | 152878.489 | OOS4 |
| OOS4 | 242 14 44 | 199.12 | 268 28 09 | 504080.162 | 152873.169 | OOS5 |
| OOS5 | 051 51 03 | 202.70 | 140 19 12 | 504209.582 | 152717.169 | OOS6 |
| OOS6 | 260 01 22 | 157.71 | 220 20 42 | 504107.492 | 152596.969 | OOS7 |
| OOS7 | 293 59 11 | 226.32 | 334 19 53 | 504009.462 | 152808.949 | OOS8 |
| OOS8 | 103 50 25 | 229.94 | 258 10 18 | 503784.402 | 152753.819 | OOS9 |
| OOS9 | 198 19 29 | 136.33 | 276 29 47 | 503648.952 | 152769.239 | OOS10 |
| OOS10 | 297 04 39 | 262.36 | 033 34 26 | 503794.032 | 152987.829 | OOS11 |
| OOS11 | 068 16 57 | 280.52 | 281 51 23 | 503467.862 | 153056.299 | OOS12 |
| OOS12 | 286 15 39 | 279.82 | 028 07 02 | 503599.684 | 153303.089 | F003 |

Table 1. Observed values and unadjusted coordinates.

| STN | EASTING | NORHING |
|-------|------------|------------|
| OOS1 | 503856.241 | 153300.601 |
| OOS2 | 504118.010 | 153333.981 |
| OOS3 | 504409.573 | 153143.189 |
| OOS4 | 504279.314 | 152878.565 |
| OOS5 | 504080.271 | 152873.205 |
| OOS6 | 504209.744 | 152717.256 |
| OOS7 | 504107.686 | 152597.036 |
| OOS8 | 504009.591 | 152801.008 |
| OOS9 | 503784.553 | 152753.820 |
| OOS10 | 503649.096 | 152769.212 |
| OOS11 | 503794.119 | 152987.872 |
| OOS12 | 503467.934 | 153056.269 |

Table 2. Coordinates Generated by Bowditch Rule

| STN | EASTING | NORTHING |
|-------|------------|------------|
| OOS1 | 503856.242 | 153300.598 |
| OOS2 | 504118.012 | 153333.961 |
| OOS3 | 504409.576 | 153143.169 |
| OOS4 | 504279.315 | 152878.563 |
| OOS5 | 504080.273 | 152873.187 |
| OOS6 | 504209.745 | 152717.246 |
| OOS7 | 504107.687 | 152597.031 |
| OOS8 | 504009.590 | 152801.017 |
| OOS9 | 503784.554 | 152753.818 |
| OOS10 | 503649.098 | 152769.201 |
| OOS11 | 503794.119 | 152987.873 |
| OOS12 | 503467.936 | 153056.254 |

Table 3. Coordinates Generated by Transit Rule

| STN | UNADJ EASTING | UNADJ. NORTHING | ADJUSTED EASTING | SX | ADJUSTED NORTHING | SY |
|-------|---------------|-----------------|---------------------|--------|----------------------|--------|
| OOS1 | 504117.992 | 153333.919 | 503,856.234 | 0.0134 | 153,300.581 | 0.0263 |
| OOS2 | 504409.552 | 153143.099 | 504,117.998 | 0.0167 | 153,333.930 | 0.0563 |
| OOS3 | 504279.212 | 152878.489 | 504,409.531 | 0.0205 | 153,143.074 | 0.0901 |
| OOS4 | 504080.162 | 152873.169 | 504,279.204 | 0.0462 | 152,878.457 | 0.0775 |
| OOS5 | 504209.582 | 152717.169 | 504,080.155 | 0.0467 | 152,873.143 | 0.0617 |
| OOS6 | 504107.492 | 152596.969 | 504,209.569 | 0.0599 | 152,717.132 | 0.0729 |
| OOS7 | 504009.462 | 152808.949 | 504,107.461 | 0.0720 | 152,596.939 | 0.0625 |
| OOS8 | 503784.402 | 152753.819 | 504,009.444 | 0.0526 | 152,800.933 | 0.0522 |
| OOS9 | 503648.952 | 152769.239 | 503,784.382 | 0.0561 | 152,753.824 | 0.0316 |
| OOS10 | 503794.032 | 152987.829 | 503,648.928 | 0.0545 | 152,769.260 | 0.0266 |
| OOS11 | 503467.862 | 153056.299 | 503,794.026 | 0.0310 | 152,987.845 | 0.0336 |
| OOS12 | 503599.684 | 153303.089 | 503,467.859 | 0.0253 | 153,056.335 | 0.0135 |

Table 4. Adjusted coordinates using least squares method

| STN | STANDARD DEVIATION | |
|-------|--------------------|-------------|
| | Distance (m) | Angular (") |
| OOS1 | 0.0001 | 22.0 |
| OOS2 | 0.0001 | 20.4 |
| OOS3 | 0.0001 | 19.5 |
| OOS4 | 0.0001 | 22.2 |
| OOS5 | 0.0001 | 23.4 |
| OOS6 | 0.0001 | 22.0 |
| OOS7 | 0.0001 | 21.1 |
| OOS8 | 0.0001 | 23.2 |
| OOS9 | 0.0001 | 22.4 |
| OOS10 | 0.0001 | 21.6 |
| OOS11 | 0.0001 | 23.6 |
| OOS12 | 0.0001 | 21.1 |

Table 5. Standard deviation of the adjusted distance and angles

| STN | DIFFERENCE IN COORDINATES | | DISTANCE (m) |
|-------|---------------------------|--------|--------------|
| | dE (M) | dN (M) | |
| OOS1 | -0.007 | -0.02 | 0.02119 |
| OOS2 | -0.012 | -0.051 | 0.052393 |
| OOS3 | -0.042 | -0.115 | 0.12243 |
| OOS4 | -0.11 | -0.108 | 0.154156 |
| OOS5 | -0.116 | -0.062 | 0.131529 |
| OOS6 | -0.175 | -0.124 | 0.214478 |
| OOS7 | -0.225 | -0.097 | 0.245018 |
| OOS8 | -0.147 | -0.075 | 0.165027 |
| OOS9 | -0.171 | 0.004 | 0.171047 |
| OOS10 | -0.168 | 0.048 | 0.174723 |
| OOS11 | -0.093 | -0.027 | 0.09684 |
| OOS12 | -0.075 | 0.066 | 0.099905 |

Table 6. Difference in coordinates between least squares adjusted coordinates and Bowditch rule

| STN | DIFFERENCE IN COORDINATES | | DISTANCE |
|-------|---------------------------|--------|------------|
| | dE(M) | dN(M) | (m) |
| OOS1 | -0.008 | -0.017 | 0.01878829 |
| OOS2 | -0.014 | -0.031 | 0.0340147 |
| OOS3 | -0.045 | -0.095 | 0.10511898 |
| OOS4 | -0.111 | -0.106 | 0.1534829 |
| OOS5 | -0.118 | -0.044 | 0.12593649 |
| OOS6 | -0.176 | -0.114 | 0.20969502 |
| OOS7 | -0.226 | -0.092 | 0.2440082 |
| OOS8 | -0.146 | -0.084 | 0.1684399 |
| OOS9 | -0.172 | 0.006 | 0.17210462 |
| OOS10 | -0.17 | 0.059 | 0.17994721 |
| OOS11 | -0.093 | -0.028 | 0.09712363 |
| OOS12 | -0.077 | 0.081 | 0.11175867 |

Table 7. Difference in coordinates between least squares adjusted coordinates and Transit.

Discussion

With the coordinates of the least squares adjustment (Table 4) held as a standard for comparison, the corresponding coordinates from the Bowditch and Transit methods of adjustments were compared (Table 6 and 7). Difference in coordinates were obtained by subtracting the coordinates generated by each method (Bowditch or Transit). These differences (error) were converted into distances to form linear error. The linear error was used to show the error margin of the resultant coordinated gotten from each method of adjustment (Bowditch or Transit). The individual linear error was used to form a

linear error chart which graphically displays the basic difference between the Bowditch method and the Transit method.

From the Graph and tabulated coordinate, it can be deduced that the Transit method of adjusting traverses produces more precise coordinates than that of the Bowditch method.

Also, by subtracting coordinates of Bowditch and Transit method from Least squares coordinates and averaging, the Bowditch method had a higher value of 0.137395, while the Transit method was 0.135035. This also indicates that the Transit method produced less errors than the Bowditch methods.

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