Review of: "Zero-Divisor Graphs of ℤ_n, their products and D_n"

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The article is about zero-divisor graphs of a ring R, with applications to the rings Z_n, as well as applications to finite products of such rings. A zero-divisor graph of a ring is the undirected graph whose vertices are the nonzero zero-divisors of R, where two distinct vertices are adjacent if their product is zero. This added graph structure on the set of zero-divisors of a ring gives additional information about the ring itself. For the rings Z_n, certain properties of their zero-divisor graphs completely determine the possible values of n (Theorems 2.19, 3.4, 3.19, 4.3). For instance, the graph of the zero-divisors of a ring Z_n is complete if and only if n is the square of a prime p (Theorem 3.4). The topic of this article is interesting. The authors state and prove several new results and examples. The article provides a useful introduction to the ideas involving zero-divisor graphs. To enhance the utility of the article, I recommend that appropriate definitions be stated in the article in order to make the article reasonably self-contained. (For instance, include definitions of perfect graph, chordal, simplicial vertex, and others.)