

# Review of: "Grönwall's Theorem implies the Riemann Hypothesis"

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The proof is flawed for at least 2 reasons.

First, as previously quoted the main theorem used is valid only for successive collosally numbers A and B.

Second if  $\limsup_{n \rightarrow \infty} f(n) = A$ , this does not mean that  $f(n) \leq A$  at large height. For instance, if  $f(n) = |\sin(n)|/n$ , then  $\limsup f(n) = 0$ . However the quote  $f(n) \leq 0$  is wrong for any integer value of n since pi is irrational.