

Review of: "Correlating exciton coherence length, localization, and its optical lineshape"

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Potential competing interests: No potential competing interests to declare.

I appreciate the idea of authors for using solitons describing exciton and phonon interactions.

However, a square is missing in both equation 17 and 18.

Regarding the second derivative and the square of function itself of wavefunction in 16, a missing square in both wave function and potential expression is present in 17 and 18.

More generally, the solution for a non-linear differential equation in the form of "second derivative of the function" + "squared function" + "constant*function" should have the soliton solution with $\text{sech}^2(x)$ as wave and self-trapping potential.

The mathematical path is like followings:

the second derivative of $\text{sech}^2(x)$ is $d^2/dx^2(\text{sech}^2(x)) = -2(-2*\text{sech}^2(x)*(1-\text{sech}^2(x)) + \text{sech}^4(x))$, the squared function is $\text{sech}^4(x)$ and the function itself is $\text{sech}^2(x)$, which makes the above mentioned equations have the solutions after several permutation of terms. However, the function $\text{sech}(x) = 1/\cosh(x)$ does not have this property and thus is not the answer for soliton equations.

Therefore, I suggest the author to amend their mathematical part regarding solution of the Schrödinger equations and refine their results. The rest parts of derivations are generally ok according to the definitions.

Best regards